Work, wellbeing, and scarcity

Sessions 5–6

PMAP 8141: Microeconomics for Public Policy Andrew Young School of Policy Studies

Plan for today

Incentives

Elasticity

Preferences, constraints, and tradeoffs

Utility and indifference

Calculus party!!!

Maximizing utility

Incentives

Why do people do what they do?

People get utility from doing stuff

Extrinsic rewards

Intrinsic rewards

These can get distorted and crowded out!

Why care as an MPA/MPP?

Good policy uses incentives to channel behavior toward some desired outcome. Bad policy either ignores incentives or fails to anticipate how rational individuals might change their behavior to avoid being penalized.

Naked Economics, p. 39

Perverse incentives







Importance of incentives

People respond to what you signal

You get what you measure

Daycares and late pickups

Blood donors

Taxes

Favors

Thanksgiving

Playgroups and daycares

MLMs

NED and democracy promotion

Extrinsic rewards can crowd out intrinsic motivations

Don't violate important social relationships by reducing services to a market transaction

Pay enough or don't pay at all

Elasticity

Elasticity

How responsive people are to changes in prices

"If the price changes, how much does the quantity change?"

Elasticity and responsiveness

$$\varepsilon = -\frac{\% \text{ change in demand}}{\% \text{ change in price}}$$

$$\varepsilon = -\frac{\Delta Q}{\Delta P} \times \frac{P}{Q}$$

% change in demand that follows a 1% change in price

 ϵ = 2: "If price increases by 10%, quantity decreases by 20%"

 ϵ = 0.5: "If price increases by 10%, quantity decreases by 5%"

$\epsilon = \infty = Perfectly elastic$

Any change in price moves quantity to 0

Identical goods
Two vending machines

 ϵ > 1 = Elastic

Changes in price change the quantity a lot

Goods with substitutes

Diet Coke

 ϵ = 1 = Unit elastic

Changes in price change the quantity the same

 ϵ < 1 = Inelastic

Changes in price change the quantity a little

Goods with few substitutes

AIDS medicine

 ϵ = 0 = Perfectly inelastic

Changes in price do nothing to the quantity

Survival goods

Water in the desert

€, taxes, and preferences

Taxing things changes their prices

Changing prices changes quantities demanded

Taxing elastic goods will make quantities go down a lot and decrease tax revenues

Taxing inelastic goods will make quantities go down slightly and not hurt revenues

Category	Туре	Calories per serving	Price per 100 g (\$)	Typical spending per week (\$)	Price elasticity of demand		
1	Fruit and vegetables	660	0.38	2.00	1.128		
2	Fruit and vegetables	140	0.36	3.44	0.830		
15	Grain, pasta, bread	1,540	0.38	2.96	0.854		
17	Grain, pasta, bread	960	0.53	2.64	0.292		
28	Snacks, candy	433	1.13	4.88	0.270		
29	Snacks, candy	1,727	0.68	7.60	0.295		
30	Milk	2,052	0.09	2.32	1.1793		
31	Milk	874	0.15	1.44	1.972		

If P↑ by 10%, Q↓...

8.3%

2.7%

19.72%

General tax guidance

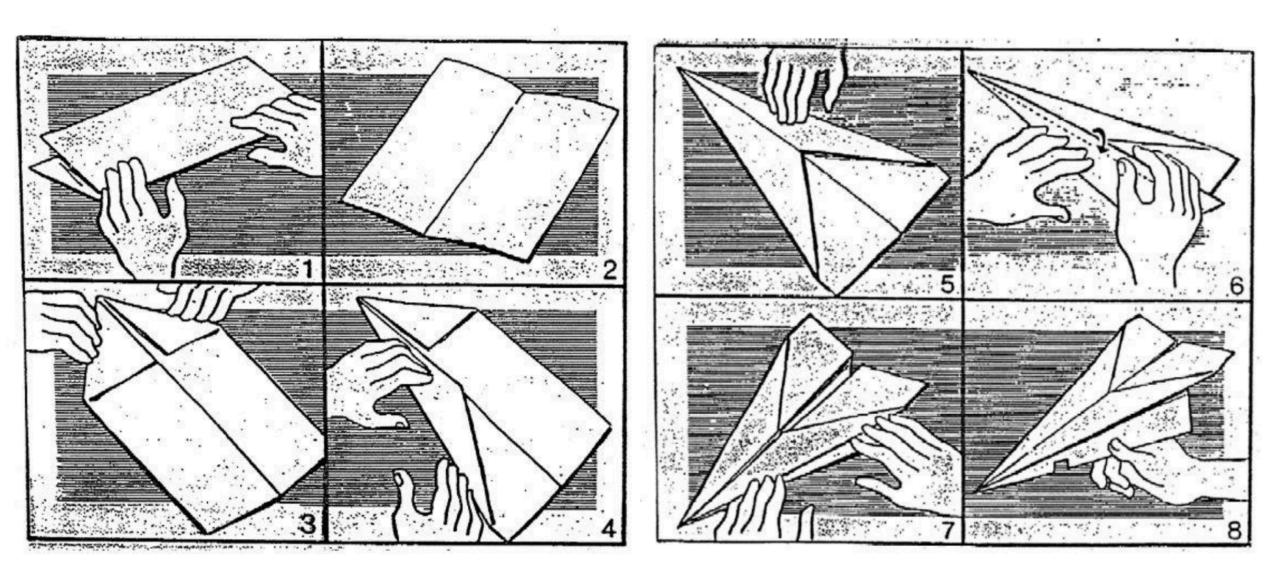
Tax inelastic products unless you're tying to change consumption

Soda?

Cigarettes? Alcohol? Property?

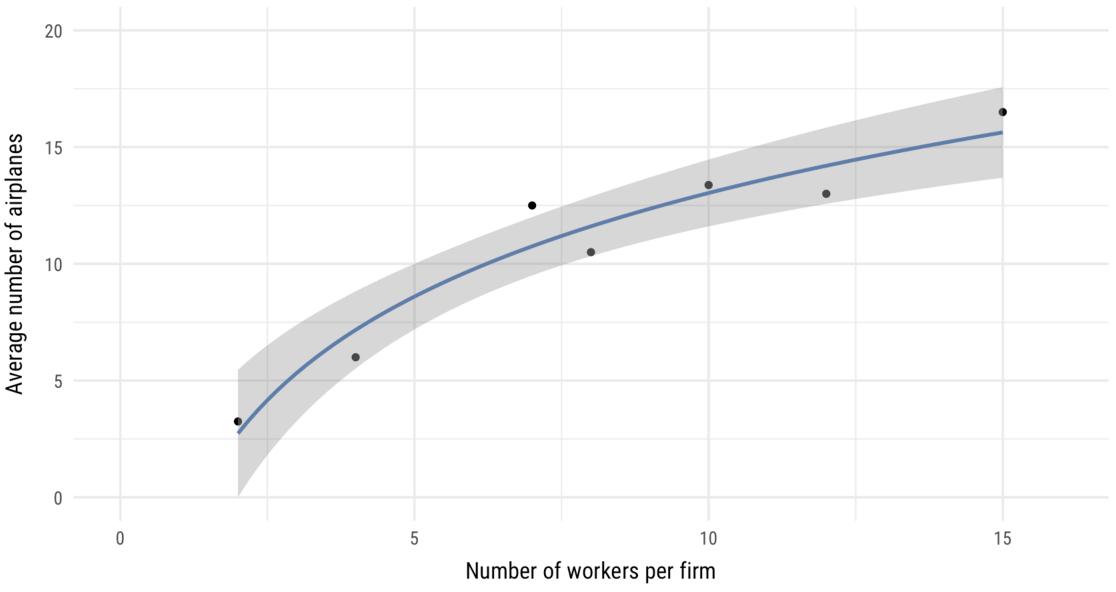
Those who can afford to avoid taxes will try to avoid them

Preferences, constraints, and tradeoffs

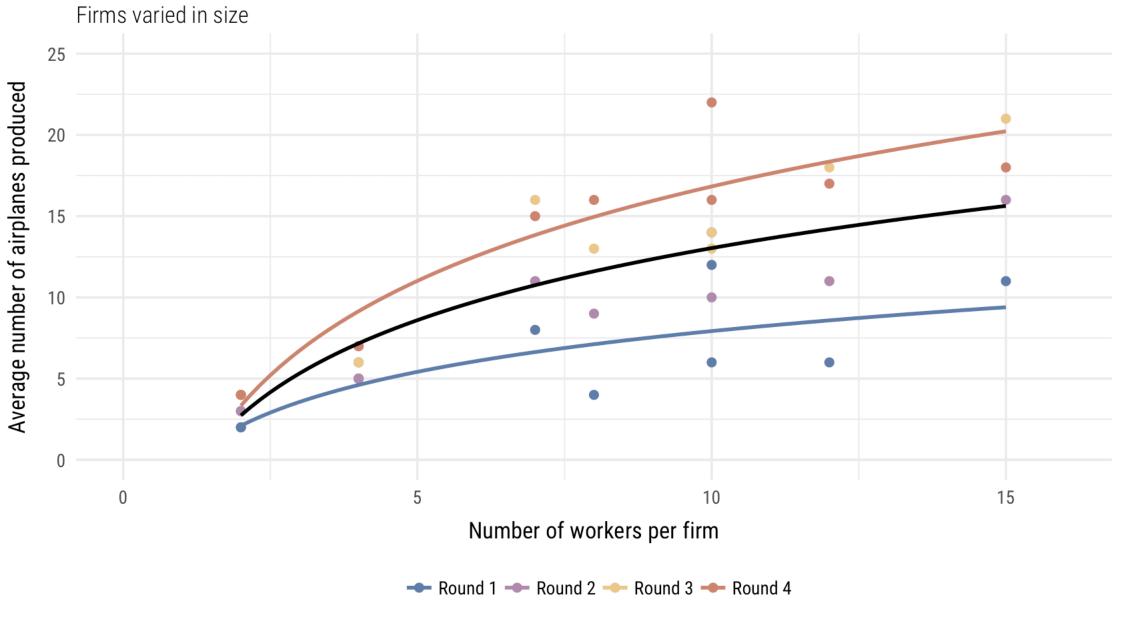


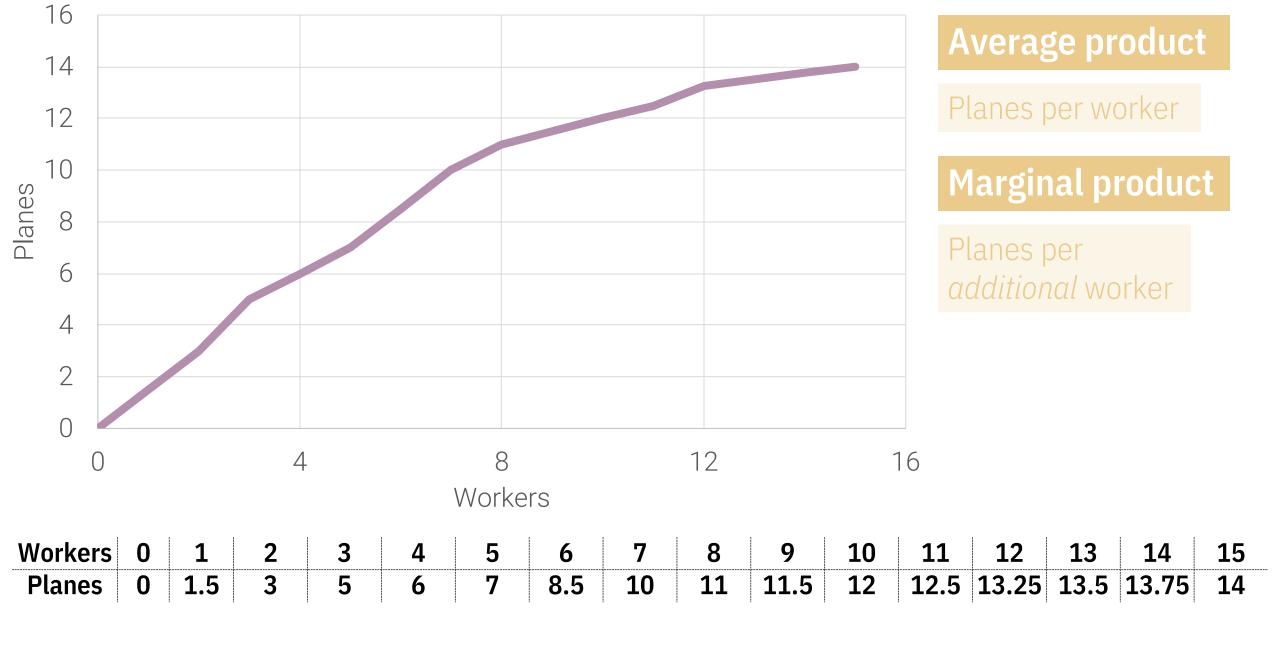
Average number of airplanes produced by 10 firms

Averaged over 4 rounds; firms varied in size

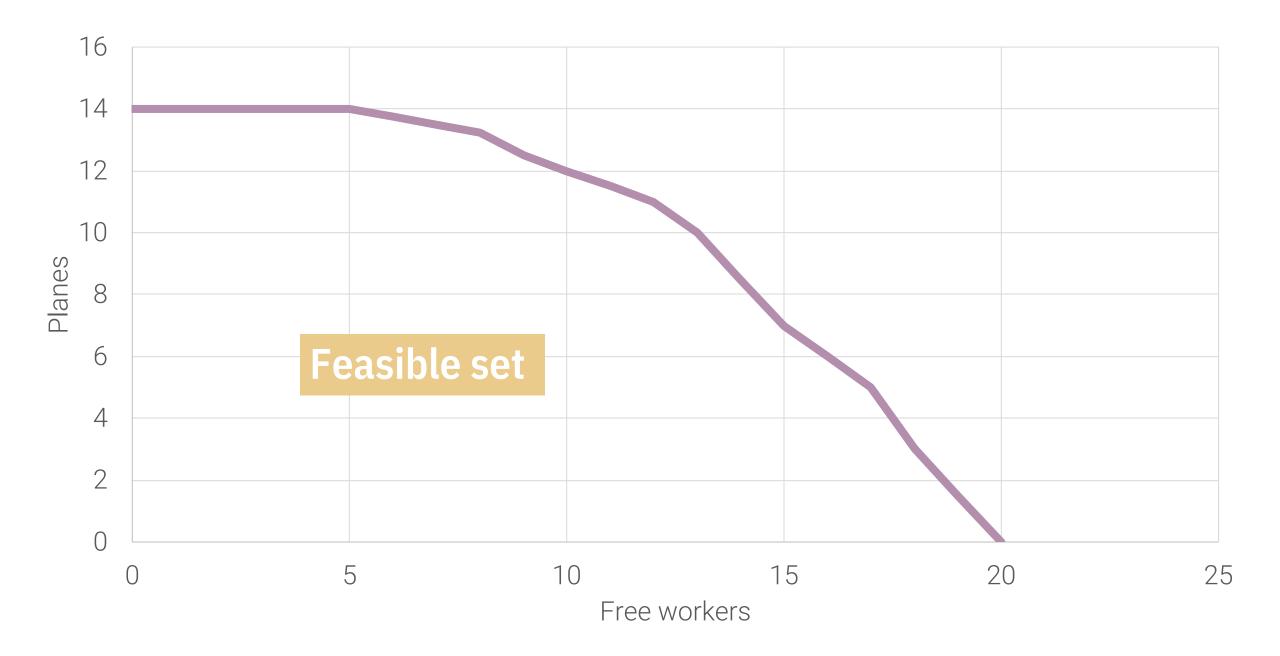


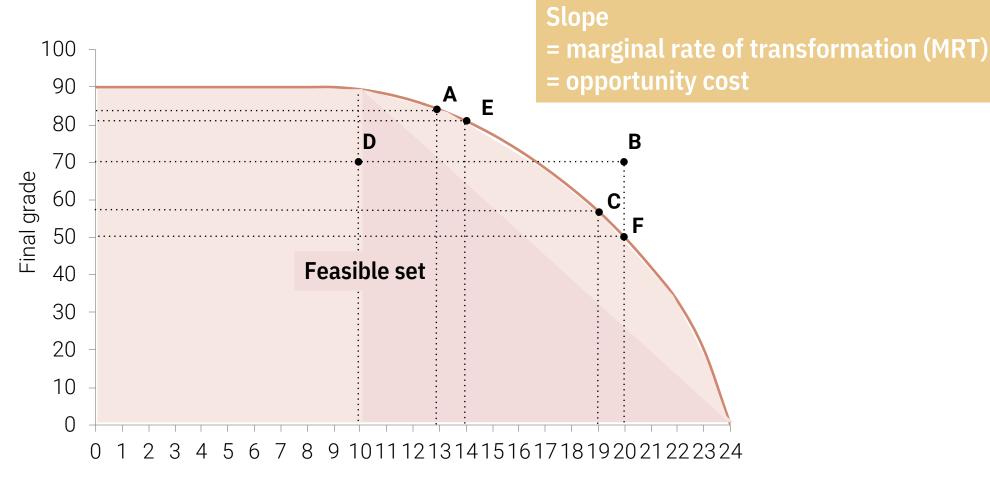
Number of airplanes produced by 10 firms





Does marginal product always diminish?





Hours of free time per day

	Α		E		С		F	
Free time	13		14		19		20	
Grade	84		81		57		50	
Opportunity cost			3			7	1	



IF YOU SPEND NINE MINUTES OF YOUR TIME TO SAVE A DOLLAR, YOU'RE WORKING FOR LESS THAN MINIMUM WAGE.

Opportunity cost

The value of the thing you can't do because of a decision

The value of the forgone option



Opportunity cost

Cost for theater concert

\$25

Value of park concert to you

\$15

Economic cost of theater

\$40

Value of theater concert to you

\$50

\$35

Your choice

Theater

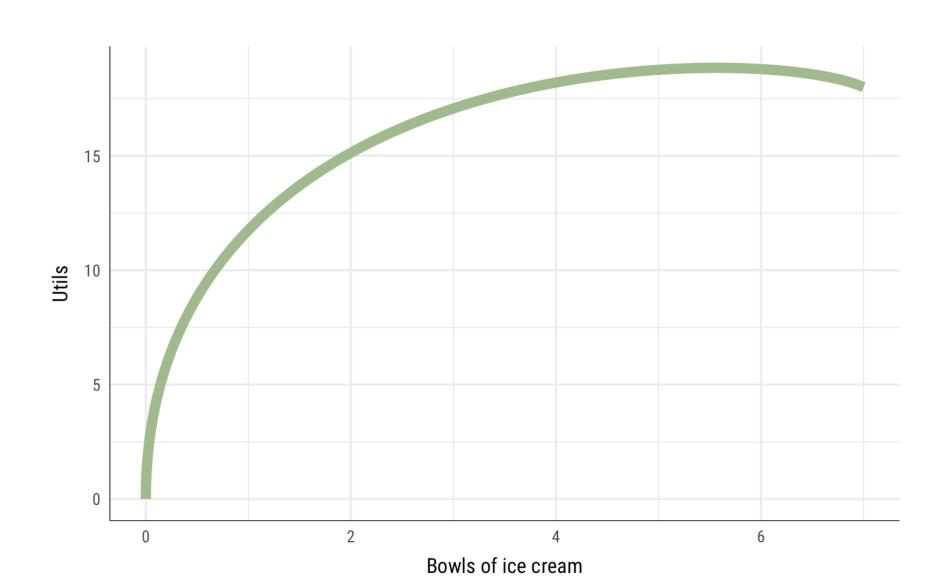
Park

Utility

Happiness points



Diminishing marginal utility



Utility and indifference

Utility bundles

Theoretical combination of goods that provide same level of utility

$$u(x_1, x_2)$$

$$u(x_1, x_2) = x_1 x_2$$

Utility bundles

$$u(x_1, x_2) = x_1 x_2$$
 $u(1, 2)$
 $u(100, 3)$
 $u(4, 1)$
4

Utility bundles

$$u = xy$$

x and y give same utility

$$u = \sqrt{xy}$$

x and y give same utility

$$u = x^2 y^2$$

x and y give same utility

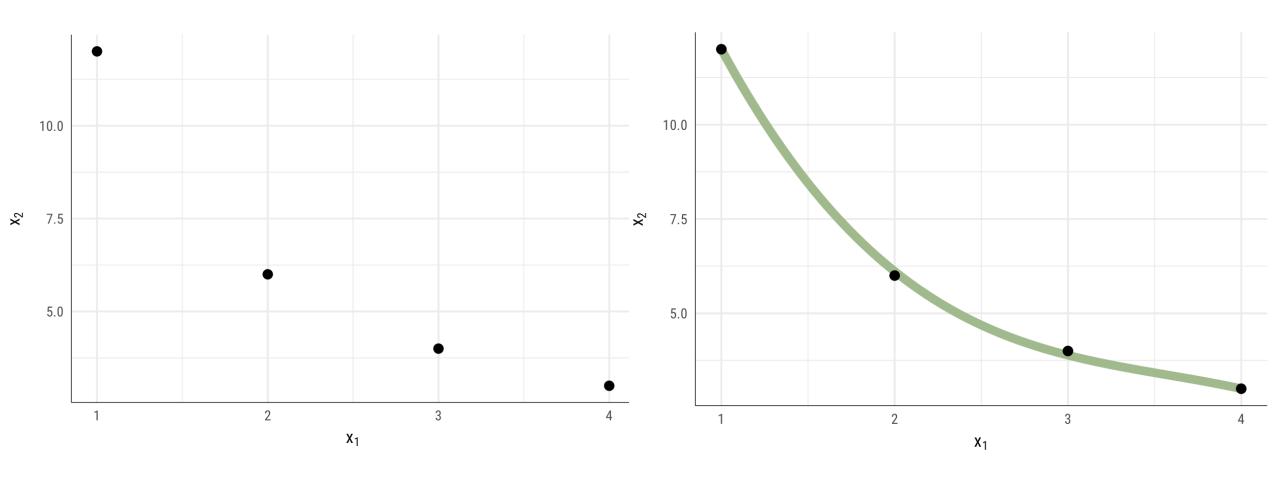
$$u = x^2 y$$

x gives more utility than y

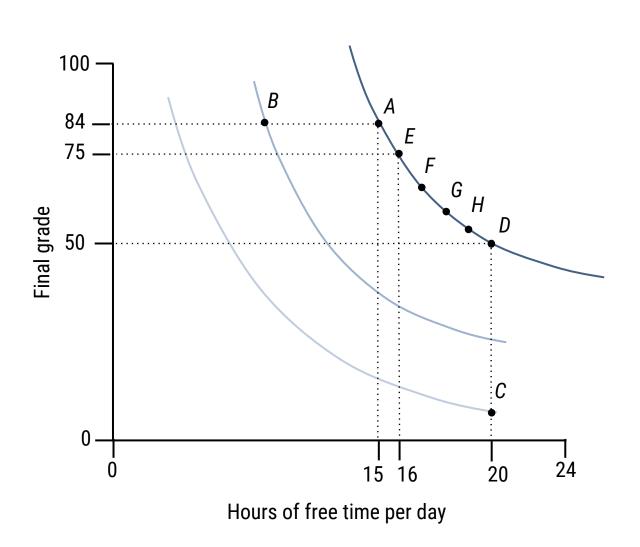
What combinations of inputs will produce 12 utils?

$$u(x_1, x_2) = x_1 x_2$$

$$u(x_1, x_2) = x_1 x_2$$



Indifference curves

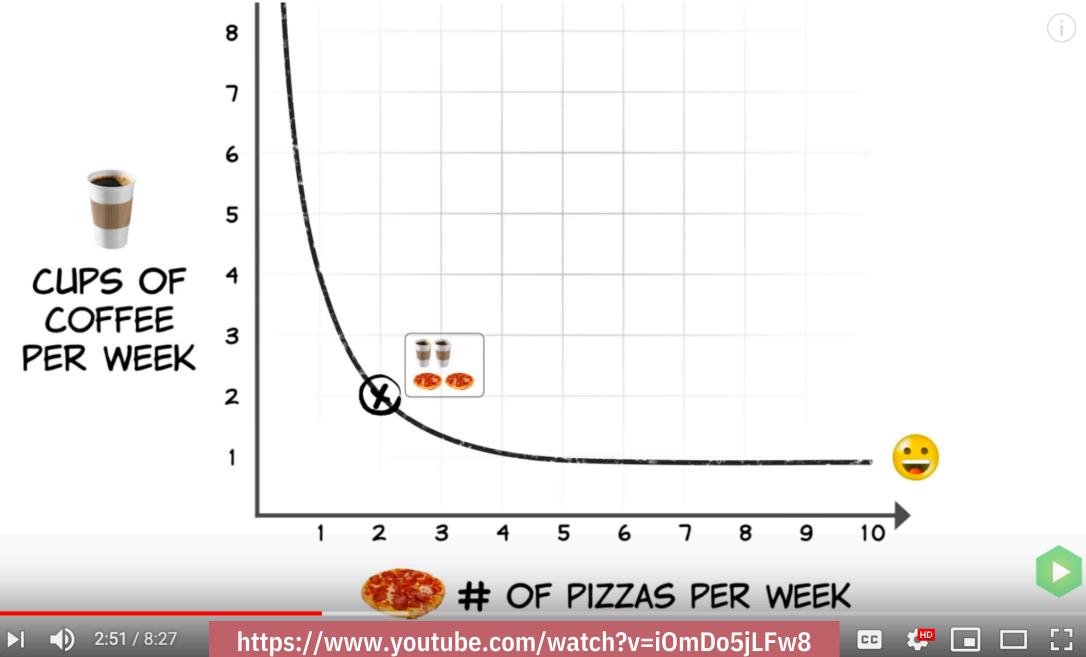


Indifference curves

Theoretical points where we're equally happy with a mix of goods

Measured in utility (or "utils", or happiness points)

Higher curves = more utils

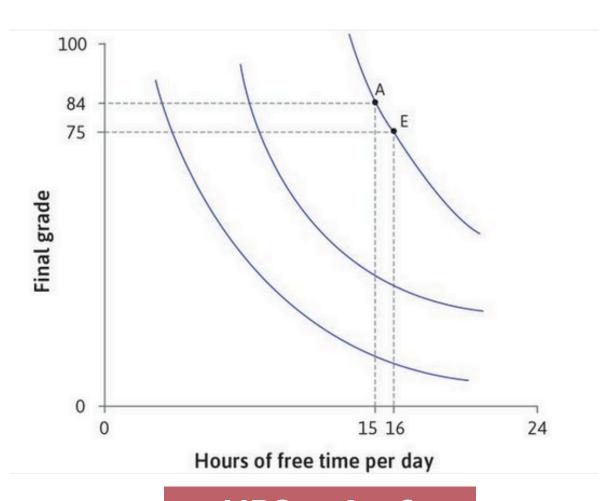


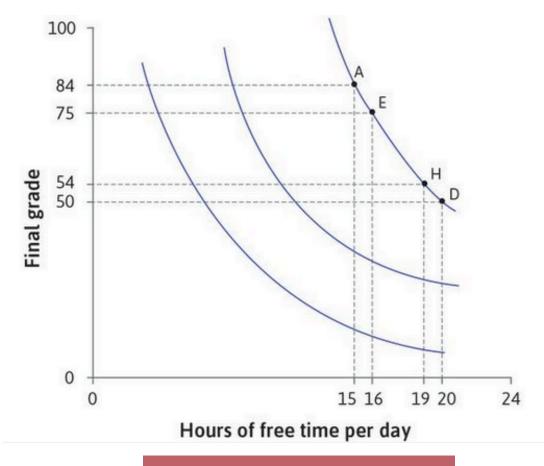






Slope of indifference curve = marginal rate of substitution (MRS)





 \overline{MRS} at A = 9

MRS at H = 4

Calculus party!!!

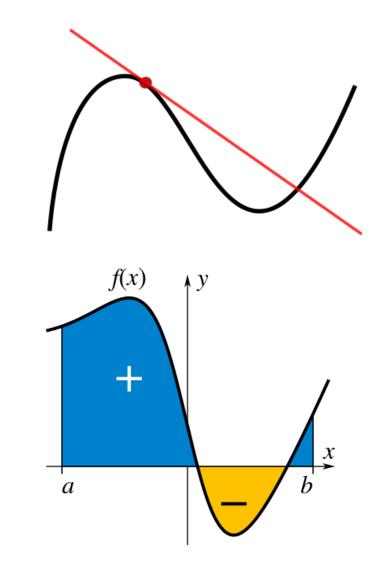
Two reasons for calculus

Find the slope of a line

Differential calculus



Integral calculus



Drawing lines with math

$$y = mx + b$$

y

A number

X

A number

m

Slope

rise run

b

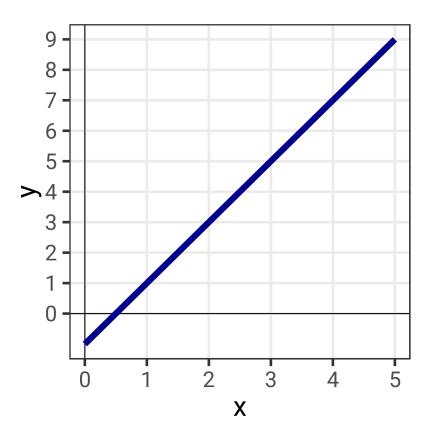
y intercept

Slope

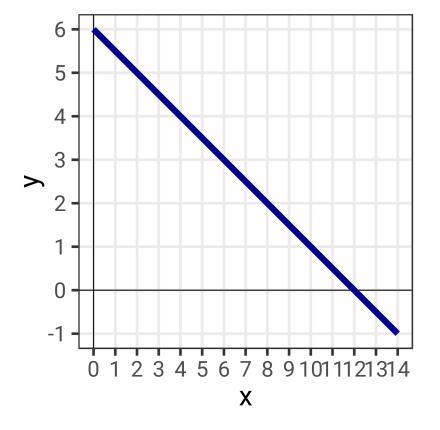
Slope = rise/run = how y changes as you change x

Slopes and intercepts

$$y=2x-1$$







Graph these

desmos.com

$$y=5x+2$$

$$y = x - 1$$

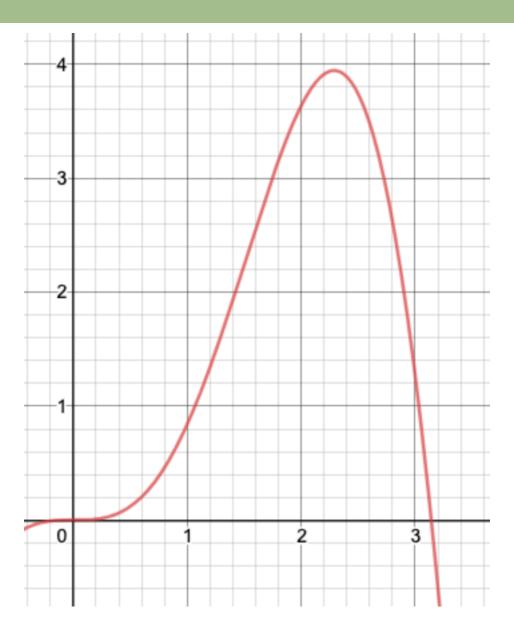
$$y = -2x + 11$$

$$y=6-2x$$

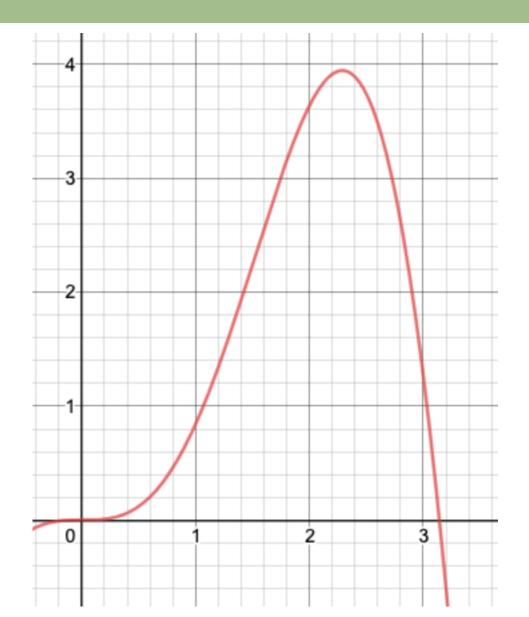
$$y = 0.33x - 1$$

$$y = 0.75x - 3$$

What about curvy lines?



No single slope!

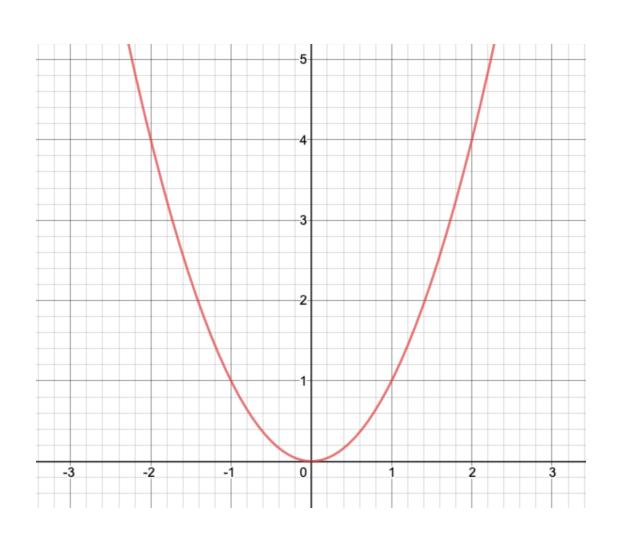


Slope is different at every x

Slope will be a formula, not a single number

Derivative

Basic derivatives



$$y = x^2$$

Power rule

Move exponent down to coefficient, reduce exponent by 1

$$y'=2x$$

$$y = 3x^3 - 4x^2 + 6x - 1$$
$$y' = 9x^2 - 8x^1 + 6$$

$$y = 5x + 2$$
$$y' = 5$$

Your turn

$$y = 3x^{2} - 4x + 8$$
$$y = -2x^{4} - 2x + 100$$
$$y = 7x + 2$$

wolframalpha.com "derivative 3x^2 – 4x + 8"

Partial derivatives

Power rule only works with 1 variable

$$u = xy$$

That means you can't figure out the derivative here!

It has x and y.

Partial derivatives

Do the x part first, then do the y part

x part / y part

$$u = xy$$
 $u' = \frac{9}{x}$

Maximizing utility

Marginal rate of substitution (MRS)

Theoretical tradeoff between inputs

Slope of indifference curve

$$MRS = \frac{dy}{dx} = \frac{\Delta y}{\Delta x} = \frac{P_x}{P_y} = \frac{MU_x}{MU_y} = \frac{\partial u/\partial x}{\partial u/\partial y}$$

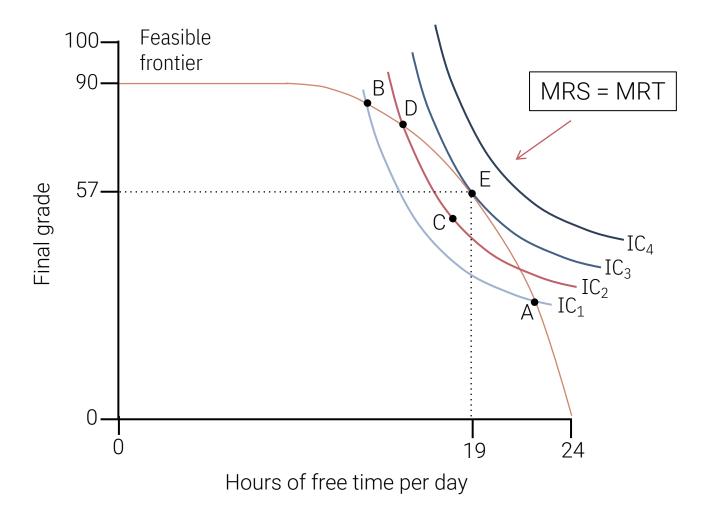
Marginal rate of transformation (MRT)

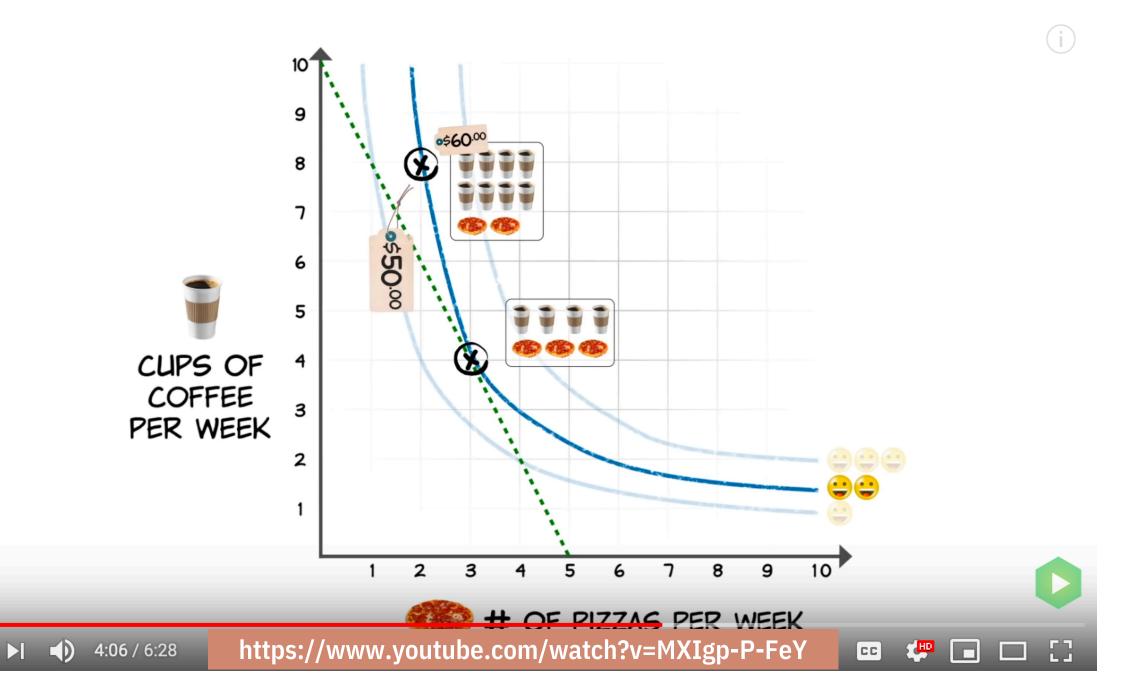
Actual tradeoff between inputs constrained by feasible frontier

Slope of feasible frontier

What's the best combination of hours studied / free time?

Where the ideal meets reality!





Utility maximization

- O. Plot indifference curve
- 1. Figure out feasible set or MRT (budget line)
 - 2. Use calculus and prices to figure out ideal MRS

 $(\Delta y/\Delta x = price x / price y = MUx / MUy)$

3. MRT = MRS and solve for x and y

Waffles (x) \$1

Calzones (y) \$2

Utility u = xy

Budget \$20